

# Three-Step Latent Transition Analysis

Bengt Muthén

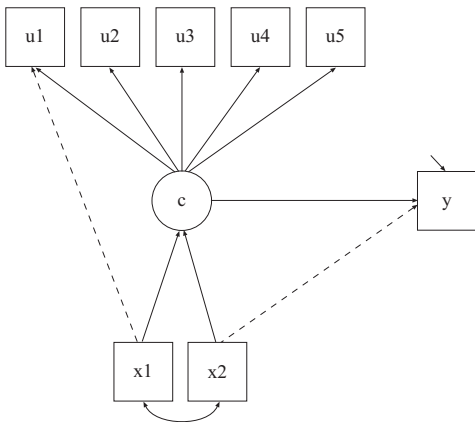
Mplus

[www.statmodel.com](http://www.statmodel.com)

[bmuthen@statmodel.com](mailto:bmuthen@statmodel.com)

Presentation at the Modern Modeling Methods Conference,  
University of Connecticut, May 21, 2013

1-step analysis versus 3-step (analyze-classify-analyze) latent class analysis



- Latent class models should be subjected to both statistical and substantive checking (Muthén, 2003 in Psychological Methods)
- Substantive checking can be done by relating latent classes to antecedents and consequences (covariates and distal outcomes)
- The 3-step approach is a useful tool for this

# The Old 3-Step Approach

- 1 Estimate the LCA model
- 2 Determine each subject's most likely class membership
- 3 Relate the most likely class variable to other variables

The old 3-step approach is problematic: Unless the classification is very good (high entropy), this gives biased estimates and biased standard errors for the relationships with other variables.

# The LCA Provides Information About the Classification Quality

Average Latent Class Probabilities for Most Likely Class Membership (Row) by Latent Class (Column)

	1	2	3
1	0.839	0.066	0.095
2	0.053	0.845	0.102
3	0.125	0.107	0.768

# The New 3-Step Approach

- New 3-Step approach correcting for classification error
  - ① Estimate the LCA model
  - ② Create a nominal most likely class variable  $N$
  - ③ Use a mixture model for  $N$ ,  $C$  and  $X$ , where  $N$  is a  $C$  indicator with measurement error rates prefixed at the misclassification rate of  $N$  estimated in the step 1 LCA analysis
- Bolck, Croon, & Hagenaars (2004) Estimating latent structure models with categorical variables: One-step versus three-step estimators. *Political Analysis*, 12, 3-27.
- Vermunt (2010). Latent Class Modeling with Covariates: Two improved three-step approaches. *Political Analysis*, 18, 450-469
- Asparouhov & Muthén (2012). Auxiliary variables in mixture modeling: A 3-step approach using Mplus. *Mplus Web Note* 15.

Average Latent Class Probabilities for Most Likely Class Membership (Row) by Latent Class (Column)

	1	2	3
1	0.839	0.066	0.095
2	0.053	0.845	0.102
3	0.125	0.107	0.768

$$\log(0.839/0.095) = 2.178$$

$$\log(0.066/0.095) = -0.364$$

$$\log(0.053/0.102) = -0.654$$

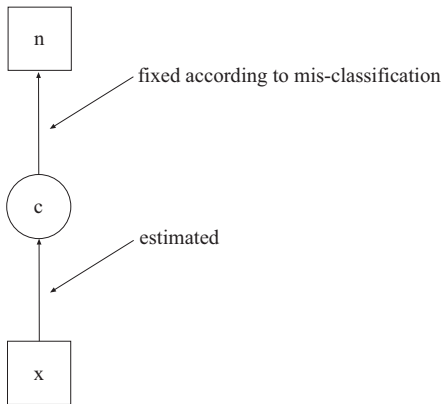
$$\log(0.845/0.102) = 2.114$$

$$\log(0.125/0.768) = -1.815$$

$$\log(0.107/0.768) = -1.970$$

## Step 3 Regression on a Covariate

- n: Most likely class membership from Step 2 (nominal variable)
- c: Latent class variable
- x: Covariate



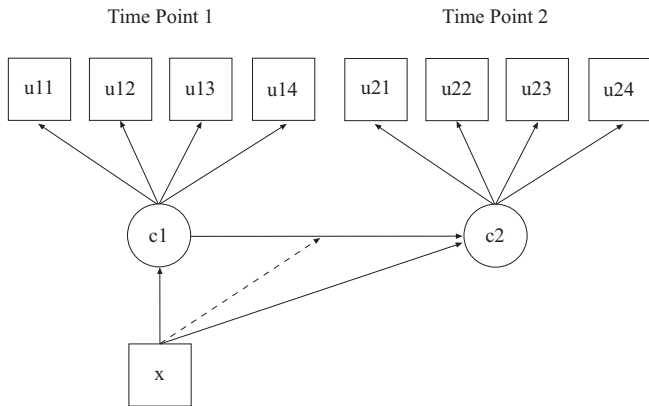


```
VARIABLE:  NAMES = u1-u5 x p1-p3 n;  
           USEVARIABLES = x n;  
           CLASSES = c(3);  
           NOMINAL = n;  
DATA:      FILE = man3step2.dat;  
ANALYSIS:  TYPE = MIXTURE; STARTS = 0;  
MODEL:     %OVERALL%  
           c ON x;  
           %c#1%  
           [n#1@2.178];  
           [n#2@-0.364];  
           %c#2%  
           [n#1@-0.654];  
           [n#2@2.114];  
           %c#3%  
           [n#1@-1.815];
```

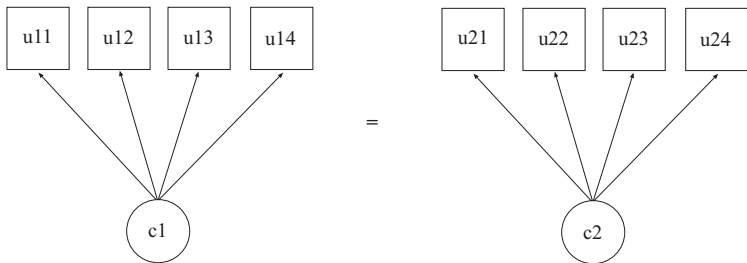
## A Second Look at Distal 3-Step

- In some examples the Asparouhov-Muthén distal 3-step method in Mplus Web Note 15 leads to changes in latent class formation between Step 1 and Step 3 - warning given in Mplus Version 7.1
- Lanza et al. (2013) in the SEM journal propose a different distal 3-step method that avoids changes in class formation. Included in Mplus Version 7.1
- Future research needed to evaluate which method, including Most Likely Class and Pseudo-class, is least sensitive to violations of assumptions such as no direct effects

# 3-Step Latent Transition Analysis

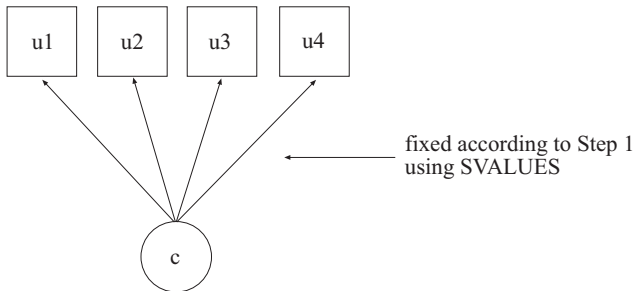


# LTA: Step 1



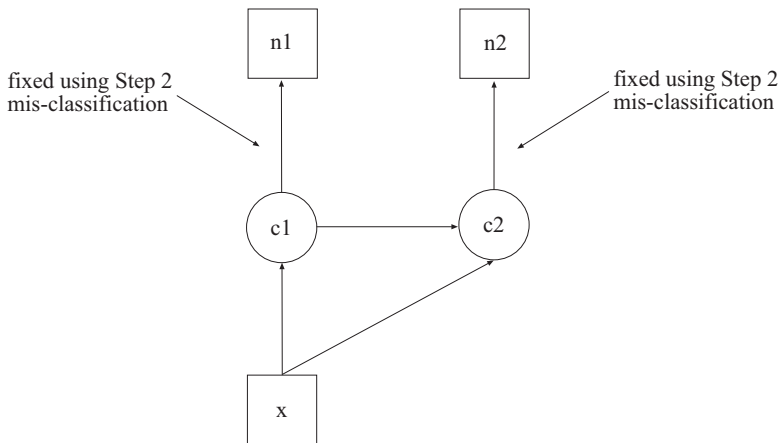
# LTA: Step 2

For each time point:



Save most likely class

# LTA: Step 3



# 3-Step Mover-Stayer LTA

